

# Determination of the Chloroform / Water Distribution Coefficient of Weak Acids by a Stepwise Flow Ratiometry

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## Abstract

The distribution coefficients,  $K_D$ , of phenol, benzoic acid and their derivatives were determined by a stepwise flow ratiometry. In a typical case, an aqueous solution of an analyte was delivered and merged with chloroform. The chloroform/aqueous flow ratio ( $R_f$ ) was changed stepwise under a constant total flow rate. The duration time for each  $R_f$  was 2 min. The analyte was extracted to chloroform when both phases, segmented each other, passed through an extraction coil. One of the phases (i.e., aqueous or organic phase) was separated from the segmented stream based mainly on the difference in specific gravities between them. The separated phase was led to an UV/Vis detector where the absorbance of the analyte ( $A$ ) was monitored. The plots of  $A^{-1}$  vs.  $R_f$ ,  $(A R_f)^{-1}$  vs.  $R_f^{-1}$ , and  $A R_f$  vs.  $A$  gave straight lines. The distribution ratio ( $D$ ) of the analyte was calculated from their slopes and intersections. The present method was applied to the  $K_D$  determination of the weak aromatic acids, which have the  $\log K_D$  values of  $-0.2 \sim 2.5$ . The  $\log D$  values obtained were in good agreement with literature values of  $K_D$  when the determination was carried out at the pH that was low enough to prevent the acid dissociation of the analytes. The method was simple and efficient ( $< 10$  min / determination) with satisfactory precision.

**Keywords** Stepwise flow ratiometry, distribution coefficient, partition coefficient, continuous flow extraction, weak acid.

## 1. Introduction

Distribution coefficient ( $K_D$ ), also referred as partition coefficient ( $P$ ), is one of the most important physicochemical constants concerning the hydrophobicity (lipophilicity) of a substance. Thus,  $K_D$  is widely used as a parameter for the molecular design of drugs and for the toxicity estimation of environmental pollutants. Many experimental approaches, such as shake-flask method, stir-flask method, generator column method, reversed phase HPLC, counter-current chromatography, micellar electrokinetic chromatography and so forth, have been developed for determining  $K_D$  [1]. They each have inherent advantages and disadvantages. Shake-flask methods, for example, are accurate in principle but are laborious and tedious; chromatographic techniques are generally rapid but require suitable standards the  $K_D$  values of which are well established. Some papers on the determination of  $K_D$  by an FIA [2,3] and a segmental FIA (monosegmented continuous flow method) [4,5] have recently been published.

Flow ratiometry is a sophisticated variation of continuous flow analysis, where two independently delivered solutions (e.g., reagent and sample solutions) are merged at various flow ratios  $R_f$ . Analytical signal is monitored at a downstream of the flow line. The concentration or some physicochemical property of an analyte is determined based on the relationship between the analytical signal and  $R_f$ . The origin of

flow ratiometry can be traced back to a continuous titrimetry by Blaedel and Laessig [6,7]. Their method and succeeding analogue methods by many researchers had limited efficiencies due to the lag time between the sample-reagent confluence point and its actual being registered by a recorder. Very recently, Dasgupta and his co-workers proposed a novel concept for continuous

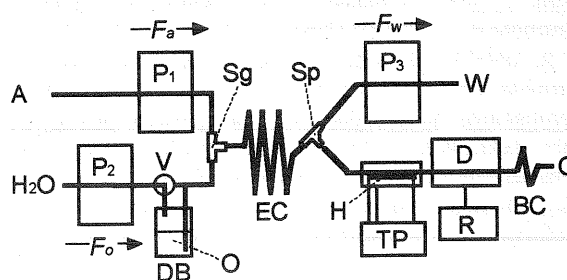


Fig. 1 Schematic diagram of a flow system. A, aqueous phase (buffer solution); H<sub>2</sub>O, deionized water; O, organic phase (chloroform); P<sub>1</sub> and P<sub>2</sub>, double plunger pumps; P<sub>3</sub>, peristaltic pump (Rainin Dynamax RP-1); V, 3-ways valve; DB, displacement bottle (500 cm<sup>3</sup>); Sg, T-segmentor; EC, extraction coil (knotted PTFE tubing); Sp, separator (see Fig. 2A); H, heater; TP, temperature controller (Toho electronic BX-303-104-OP) with thermocouple temperature sensor; D, UV/Vis detector (Shimadzu SPD-6AV); R, recorder (Shimadzu Chromatopac C-R6A), BC, back pressure coil (0.25 mm i.d., 1 m long); W, waste (mainly aqueous phase).

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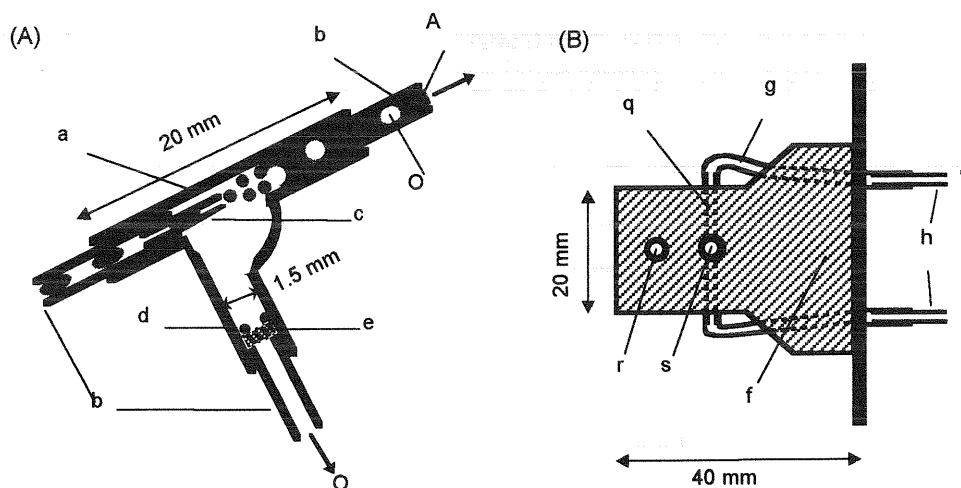


Fig. 2 (A) Separator and (B) flow cell units. A, aqueous phase; O, organic phase (to the detector); a, glass separator; b, PTFE tubing (0.8 mm i.d.); c, PTFE tubing (0.5 mm i.d.); d, PTFE O-ring; e, hydrophobic membrane (Advantec PF100); f, black rubber; g, PTFE tubing (2 mm i.d.); h, PTFE tubing (1 mm i.d.); i, inlet; o, outlet; q, quartz tubing (1 mm i.d., 2 mm o.d.); r, reference optical aperture ( $\phi$  1.5 mm); s, sample optical aperture ( $\phi$  1.5 mm).

titrimetry having very high throughput rate base on a feedback based flow ratiometry. They applied the concept to photometric [8] and potentiometric [9] titrations. By averaging rapid forward and backward titrations just vicinity of the neutralization point, the errors due to the lag time was compensated for.

We have been studying on the determination of  $K_D$  by experimental [10,11] and theoretical [12] approaches. In a previous study [10], we developed a system for the determination of  $K_D$  based on a continuous flow extraction and a flow ratiometry. Basic experimental conditions were optimized by using phenol as an analyte. The method was shown to possess advantages over conventional methods in the respect that it needed neither standard materials for  $K_D$  calibration nor information on the initial and final concentrations of analyte. In the present study, we further examined the method by applying it to the determination of  $K_D$  of various weak acids, namely, phenol, benzoic acid and their derivatives, in chloroform / aqueous systems.

## 2. Experimental

### 2.1 Flow system

Figure 1 shows the flow diagram of a representative configuration used in the present study. Two Shimadzu LC-10ADVP double plungers pumps ( $P_1$  and  $P_2$ ) were used for delivering buffer solutions (A) and deionized water ( $H_2O$ ), respectively. A displacement bottle (DB) was used in order to deliver chloroform more steadily than chloroform being directly delivered. Other components of the system were almost the same as those in the previous study [10].

In a typical case, an analyte was dissolved in an aqueous phase buffered at a pH. The organic /

aqueous flow ratio  $R_f (= F_o/F_a)$  was automatically changed stepwise (each duration time: 2 min) while the total flow rate ( $F_o + F_a$ ) was kept constant at  $2 \text{ cm}^3 \text{ min}^{-1}$  by using a programming function equipped in the  $P_1$  and  $P_2$  pumps. Although such a stepwise strategy cannot be applied to the measurement of analyte whose concentration is continuously changing, it is useful for the determination of physicochemical constants such as  $K_D$  in the present study. Both the phases, almost immiscible with and segmented each other, passed through an extraction coil (EC; 0.5 mm i.d., 3 m long), which was sufficient for attaining the extraction equilibrium [10]. The organic phase was separated from the segmented stream based mainly on the difference in specific gravity between both the phases. The detail of a separator (Sp) used for this purpose was shown in Figure 2A. In order to prevent contamination of fine droplets of aqueous phase to the separated organic stream, the flow rate of a discharging pump ( $P_3$ ) was held slightly higher than that of  $P_1$ . In addition, the separated phase was warmed up to  $35^\circ\text{C}$  by using a heater (H), set between the separator and a detector, in order to maintain the solubility of water in chloroform. The relative absorbance of thus separated chloroform stream was monitored with an UV/Vis detector (D) at the absorption maximum wavelength of the analyte. An original flow cell equipped to the product had a cranked flow path to make an optical path length 1 cm. The cell could not remove severe noises, once droplets of the other phase and/or bubbles accidentally came into the cell. Therefore, a hand-made flow cell unit shown in Fig. 2B was introduced in the detector instead. A quartz tubing (1 mm i.d.), which was set perpendicular to the light path, was used as a sample flow cell. Its simple flow path made it possible, at the expense of sensitivity, to recover quickly from such noises. The analytical signals thus measured were recorded on a

Table 1. Three kinds of linear plot for obtaining distribution ratio

System*	A-type plot			B-type plot			C type-plot		
	Abscissa	Ordinate	$D^{**}$	Abscissa	Ordinate	$D^{**}$	Abscissa	Ordinate	$D^{**}$
A/O	$R_f$	$A_o^{-1}$	$SI^{-1}$	$R_f^{-1}$	$(A_o R_f)^{-1}$	$IS^{-1}$	$A_o$	$A_o R_f$	$-S^{-1}$
A/A	$R_f$	$A_a^{-1}$	$SI^{-1}$	$R_f^{-1}$	$(A_a R_f)^{-1}$	$IS^{-1}$	$A_a$	$A_a R_f$	$-S^{-1}$
O/A	$R_f^{-1}$	$A_a^{-1}$	$IS^{-1}$	$R_f$	$R_f A_a^{-1}$	$SI^{-1}$	$A_a$	$A_a R_f^{-1}$	$-S$
O/O	$R_f^{-1}$	$A_o^{-1}$	$IS^{-1}$	$R_f$	$R_f A_o^{-1}$	$SI^{-1}$	$A_o$	$A_o R_f^{-1}$	$-S$

\*: The phase in which an analyte is dissolved / the phase in which the analyte is measured.  
A, aqueous phase; O, organic phase.

\*\* :  $S$ , slope obtained by the linear regression;  $I$ , intersection of the linear regression line at the ordinate.

recorder (R).

When an analyte was initially dissolved in chloroform, the solution was directly propelled by P<sub>2</sub> pump and led to the confluence point (Sg) without by way of DB.

## 2.2 Reagents

All the reagents used in the present study were purchased from Kanto Chemicals Co. Ltd. or Nacalai Tesque, and were used without further purification. Water is a Milli-Q SP deionized water. Solutions to be pumped by P<sub>1</sub> and P<sub>2</sub> were degassed by bubbling helium using a Shimadzu DGU-2A degas unit throughout the experiment. Buffer solutions used were 0.15 mol dm<sup>-3</sup> acetate (pH 5.0), 0.15 mol dm<sup>-3</sup> citrate (pH 2.25) and 0.05 mol dm<sup>-3</sup> tetraborate-sodium carbonate (pH 9.7) buffers.

## 3. Principle

The principle of the present method was described before [10]. Its basis was on a strategy by Danielsson and Zhang [2,3], who had combined a flow injection extraction with a flow ratiometry. Briefly, when an aqueous solution of an analyte (concentration:  $C_{ai}$ ) is fed at a flow rate  $F_a$ , and merged with an immiscible organic solvent having a flow rate  $F_o$ , the distribution ratio  $D$  of the analyte at equilibrium is expressed as Eq. (1);

$$D = C_o F_a (C_{ai} F_a - C_o F_o)^{-1}, \quad (1)$$

where  $C_o$  is the concentration of the analyte in the organic phase. When the dissociation and association of the analyte in both the phases can be neglected,  $D$  corresponds to  $K_D$ . Equation (1) can be rewritten as Eq. (2) by assuming that the absorbance of the analyte in the organic phase ( $A_o$ ) is proportional to  $C_o$  (the Beer's Law),

$$A_o = k_o D C_{ai} (1 + D R_f)^{-1} \quad (2)$$

where  $k_o$  is the absorption constant of the analyte in the organic phase. From Eq. (2), the following three

equations are derived for linear plots;

$$A_o^{-1} = R_f (k_o C_{ai})^{-1} + (k_o D C_{ai})^{-1} \quad (3)$$

$$(A_o R_f)^{-1} = (k_o D C_{ai} R_f)^{-1} + (k_o C_{ai})^{-1} \quad (4)$$

$$A_o R_f = k_o C_{ai} - A_o D^{-1} \quad (5)$$

Therefore, by plotting  $A_o^{-1}$  against  $R_f$ ,  $(A_o R_f)^{-1}$  against  $R_f^{-1}$ , or  $A_o R_f$  against  $A_o$ ,  $D$  is calculated from each slope and intersection (Eqs. (3) and (4)) or only from the slope (Eq. (5)) without the information on  $C_{ai}$  and  $k_o$  values. It is possible to measure aqueous phase by exchanging the position of the components (P<sub>3</sub>,  $D$  and so on) after the separator in Fig. 1. In this case, three equations for linear plots similar to Eqs. (3) - (5) are derived also by substituting  $A_a D$  and  $k_a$  for  $A_o$  and  $k_o$  in Eqs. (3) - (5),

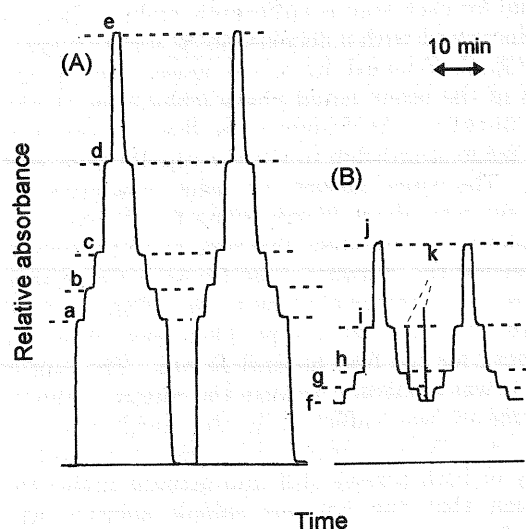


Fig. 3 Flow signal of  $A_o$  (A) and  $A_a$  (B) for p-chlorophenol. The aqueous solution of the analyte (buffered at pH 5.0) was used as a sample solution.  $R_f$ : a, 1.49; b, 1.21; c, 0.99; d, 0.66; e, 0.42; f, 0.66; g, 0.53; h, 0.42; i, 0.24; j, 0.10. The peaks denoted by k are noises.

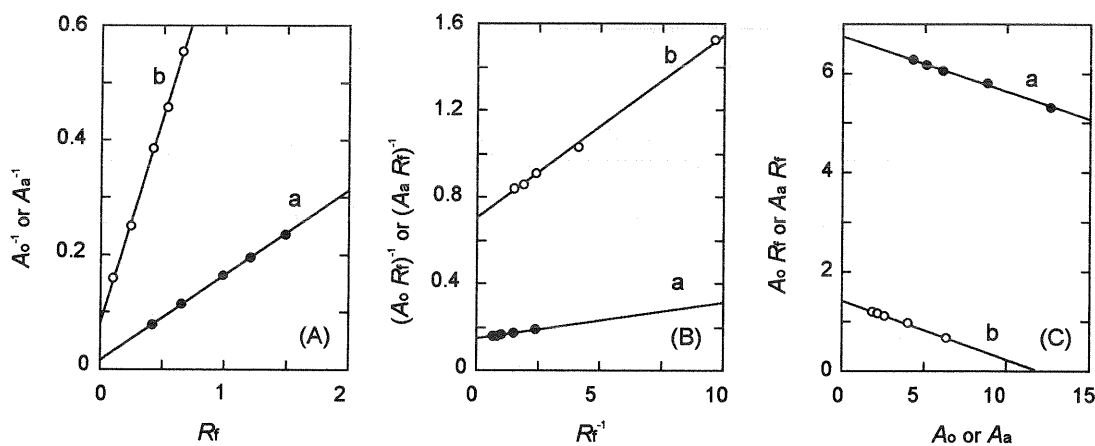


Fig. 4 Three kinds of linear plots (A-, B- and C-type plots) for the first upward run (from low  $R_f$  to high  $R_f$ ) shown in Fig. 3. a, A/O system; b, A/A system

respectively. Likewise, such equations for linear plots can be derived for the systems in which an organic solution of analyte is used as a sample solution. Table 1 is the summary of the linear plots ("A-", "B-" and "C-" type plots) applicable to each system.

## 4. Results and Discussions

### 4.1 Analytical performance of the present system

Figure 3 shows an example of analytical signals,  $A_o$  and  $A_a$ , where 1 mmol dm<sup>-3</sup> *p*-chlorophenol in 0.15 mol dm<sup>-3</sup> acetate buffer (pH 5) was extracted to chloroform. The analytical wavelength was 281.4 nm. It shows the signal for each step is sufficiently stable. Both  $A_o$  and  $A_a$  increased with a decrease in  $R_f$ , and *vice versa*. Sharp signals denoted by *k* are noises due to fine droplets of the other liquid phase (chloroform in this case) or bubbles. As designed, the flow cell shown in Fig. 2B made it possible to recover rapidly from such noises. The time needed for each downward or upward run was about 10 min when five  $R_f$  steps-run was employed. Of course, this time could be reduced by decreasing the duration time for each step and/or decreasing the number of steps a run. Figures 4A-C shows the A-, B- and C-type plots (see Table 1), respectively, for the first upward  $R_f$  run. The unit of  $A_o$  and  $A_a$  was arbitrary because the relative value of the absorbance was sufficient for the calculation of  $D$ . The flow ratio  $R_f$  was corrected by taking the mutual solubility of both phases [13] into account under the assumption that the aqueous sample solution was initially free from chloroform and that chloroform phase was saturated with water. The effect of this correction was, however, not critical [11]. The linearity of the plots was extremely good. The squares of regression coefficients,  $r^2$ , were 1.0000, 0.9971 and 0.9960 for  $A_o$ , and 0.9995, 0.9981 and 0.9936 for  $A_a$  in

Figs. 4A-C, respectively. The log  $D$  values obtained from these three plots were 0.939, 0.938 and 0.938 for  $A_o$ , and 0.947, 0.927 and 0.933, for  $A_a$ , respectively.

### 4.2 Application to diverse compounds

Table 2 is the summary of the experimental results obtained for the weak aromatic acids tested (mono-, di- and tri-substituted benzenes). The log  $D$  values that had been determined in our laboratory (a flow radiometry [10] and a volume radiometry [11,14]) were also listed; literature values of log  $K_D$  [2,15] and  $pK_a$  [16,17] were footnoted. The experimental pH for each distribution equilibrium was lower than the  $pK_a$  of an analyte by 1.9 unit or more except for pH 9.70 for phenol. This means the dissociation of the analyte in aqueous phase is virtually negligible. As expected, the log  $D$  values obtained were in good agreement with the literature values of log  $K_D$  by taking into account that the difference up to 0.3 in log  $K_D$  is allowable [5]. By the same reason, the difference in log  $D$  among experimental setups (A/O, A/A, O/O or O/A systems; see the footnote in Table 2) seems to be in allowable range. However, as for *o*-nitrophenol, which has the highest  $K_D$  value among the compounds, its log  $D$  value was not measurable in the A/A system though we tried repeatedly. The error arising from the fact that the most of the molecules in aqueous phase move to chloroform phase may responsible for this result. The log  $D$  of phenol (0.094 ~ 0.132) at pH 9.7 was considerably lower than its log  $K_D$  (0.27 ~ 0.44) [2,15]. These values are, however, quite reasonable. That is, the theoretical value of log  $D$  at the pH, calculated from the well-known equation  $D = K_D (1 + K_a / [H^+]_{aq})^{-1}$ , is 0.130. As for the effect of plot type, the A-type plot was the best in linearity in most cases. However, log  $D$  values obtained were almost the same irrespective of differences in the types of plots.

Table 2 The log  $D$  determined by a flow ratiometry

Analyte	pH	System*	$C_{ai}$ or $C_{oi}$ / mmol $\text{dm}^{-3}$	$n$	A-type plot $\log D \pm s.d.$	B-type plot $\log D \pm s.d.$	C-type plot $\log D \pm s.d.$	Log $D^{**}$ (our previous works)
Phenol	5.00	A/O	0.1-1.0	9	$0.372 \pm 0.010$	$0.374 \pm 0.005$	$0.371 \pm 0.012$	$0.353^f, 0.387^{b1}$
	5.00	A/A	0.1	3	$0.383 \pm 0.005$	$0.342 \pm 0.007$	$0.374 \pm 0.005$	$0.368^f, 0.390^{b1}$
	5.00	O/A	1.0	6	$0.362 \pm 0.009$	$0.377 \pm 0.001$	$0.367 \pm 0.006$	
	5.00	O/O	1.0	11	$0.388 \pm 0.018$	$0.385 \pm 0.016$	$0.387 \pm 0.016$	
	2.25	A/O	1.0	3	$0.351 \pm 0.010$	$0.361 \pm 0.003$	$0.358 \pm 0.006$	
	9.70	A/O	1.0	3	$0.132 \pm 0.004$	$0.094 \pm 0.002$	$0.117 \pm 0.003$	
<i>o</i> -Nitrophenol	5.00	A/O	0.5	3	$2.63 \pm 0.82$	$2.04 \pm 0.26$	$2.07 \pm 0.28$	$2.07^{b1}, 2.56^{b2}$
	5.00	A/A	0.5		Not measurable	Not measurable	Not measurable	
<i>p</i> -Nitrophenol	5.00	A/O	0.1	8	$0.168 \pm 0.015$	$0.162 \pm 0.008$	$0.164 \pm 0.009$	$0.087^f, 0.114^{b1}$
	5.00	A/A	0.1	15	$0.255 \pm 0.011$	$0.255 \pm 0.007$	$0.253 \pm 0.010$	$0.361^{b2}$
<i>o</i> -Chlorophenol	5.00	A/O	0.1	10	$1.47 \pm 0.06$	$1.45 \pm 0.06$	$1.45 \pm 0.06$	$1.51^{b1}$
	5.00	A/A	0.1	7	$1.58 \pm 0.13$	$1.58 \pm 0.09$	$1.58 \pm 0.09$	$1.02^{b2}$
<i>p</i> -Chlorophenol	5.00	A/O	1.0	4	$0.918 \pm 0.047$	$0.914 \pm 0.023$	$0.915 \pm 0.024$	$0.921^f, 1.01^{b1}$
	5.00	A/A	1.0	5	$0.947 \pm 0.019$	$0.937 \pm 0.016$	$0.939 \pm 0.015$	$1.05^{b2}$
<i>p</i> -Hydroxybenzaldehyde	5.00	A/O	0.1	3	$-0.205 \pm 0.009$	$-0.207 \pm 0.009$	$-0.206 \pm 0.009$	$-0.199^{b1}$
	5.00	A/A	0.1	8	$-0.211 \pm 0.011$	$-0.214 \pm 0.012$	$-0.212 \pm 0.011$	$-0.112^{b2}$
Vanillin	5.00	A/O	0.1	8	$1.35 \pm 0.17$	$1.31 \pm 0.14$	$1.31 \pm 0.14$	$1.23^{b1}$
	5.00	A/A	0.1-1.0	11	$1.26 \pm 0.06$	$1.31 \pm 0.02$	$1.30 \pm 0.02$	$1.19^{b2}$
Benzoic acid	2.25	A/O	0.1	3	$0.469 \pm 0.027$	$0.473 \pm 0.030$	$0.475 \pm 0.034$	
<i>p</i> -Anisic acid	2.25	A/O	0.1	3	$0.941 \pm 0.005$	$0.937 \pm 0.011$	$0.937 \pm 0.010$	

\*: the phase in which an analyte is dissolved / the phase in which the analyte is measured. A, Aqueous phase; O, organic phase.

\*\* : mean of log  $D$  values obtained through the A-, B- and C-type plots. f, a flow ratiometry [10]; b1 and b2, a volume ratiometry [11, 14].

Literature values of log  $K_D$ : phenol, 0.27, 0.34, 0.36, 0.37, 0.38, 0.41, 0.44 [15], 0.367, 0.387, 0.396 [2]; *o*-nitrophenol, 2.35, 2.54 [15]; *p*-nitrophenol, 0.08, 0.20, 0.27 [15], 0.21, 0.22, 0.25 [2]; *o*-chlorophenol, 1.36 [15]; *p*-chlorophenol, 0.93, 1.01 [15]; *p*-hydroxybenzaldehyde, -0.15, -0.12 [15], -0.22, -0.19, -0.13 [2]; vanillin (= *p*-hydroxy-*m*-methoxybenzaldehyde), 1.42, 1.42 [15]; benzoic acid, 0.30, 0.46, 0.50, 0.54, 0.71 [15], 0.42, 0.62 [2]; *p*-anisic acid (= *p*-methoxybenzoic acid), 0.90, 1.48 [15]. The  $pK_a$  values of these compounds at 25°C are 9.82, 7.05, 6.90, 8.29, 9.14, 7.65 [16], 7.40 [17], 4.20 and 4.48 [16], respectively. Analytical wavelength used for these compounds were 270, 353, 308, 273, 281, 273, 274, 273 and 256 nm, respectively.

#### 4.3 Effect of dimer formation

It is known that benzoic acid easily forms dimers in organic phase. The dimerization constants ( $K_d = [\text{dimer}] / [\text{monomer}]^2$ ) of benzoic acid in water-saturated chloroform are 120.5, 47.6 and 31.2  $\text{mol}^{-1} \text{dm}^3$  at 15, 35 and 45 °C, respectively [18]. If the dissociation of an analyte in aqueous phase can be neglected and the polymerization of analyte in organic phase is limited to dimer formation, the following equation is obtained instead of Eq. (2).

$$A_o = k_o R_f^{-1} \{C_{ai} + [1 + K_D R_f - ((R_f^2 + 8 K_D R_f C_{ai}) K_D^2 + 2 R_f K_D + 1)^{0.5}] (4 K_D^2 K_d R_f^{-1})\} \quad (6)$$

A simulation was carried out for benzoic acid in A/O system in the  $R_f$  range of 0.3269~1.6584, where  $C_{ai}$ ,  $k_o$  and log  $K_D$  were set at 0.1  $\text{mmol dm}^{-3}$  (present experimental condition) and 1  $\text{cm}^{-1} \text{mol}^{-1} \text{dm}^3$  (= 1  $\text{m}^2 \text{dmol}^{-1}$ ) and 0.5 (the median of the literature values [2, 15]), respectively. In the calculation, 84.35  $\text{mol}^{-1} \text{dm}^3$  was adopted for  $K_d$  at 25 °C (approximate experimental condition). This value was obtained

through a linear interpolation between the above-mentioned  $K_d$  values. The values of log  $D$  obtained from the A-, B- and C-type plots were 0.5133, 0.5152 and 0.5147, respectively. The values were slightly higher than the log  $K_D$  (0.5) by ca. 3.0 %. When higher  $C_{ai}$  was adopted, the error arising from the dimer formation became more significant beyond allowable range. The calculated values for  $C_{ai} = 1$  and 10  $\text{mmol dm}^{-3}$  were 0.6091 ~ 0.6228 and 0.9585 ~ 0.9958 (depending on the types of plots), respectively. Likewise, such the simulations were possible for other systems. The log  $D$  values obtained from the three linear plots deviated downward from log  $K_D$  for A/A system and did so upward for O/A and O/O systems with an increase in the initial concentration of analyte.

The dimerization constants of other compounds in water saturated chloroform are not available as far as we know, the effect of dimerization on log  $D$  at the present experimental conditions seemed not so critical for the compounds tested. That is, the obtained log  $D$  values of phenol at  $C_{ai} = 0.1, 0.5$  and 1.0  $\text{mmol dm}^{-3}$  in A/O system were 0.3766, 0.3770 and 0.3650 (the mean of the values obtained from three kinds of linear plots), respectively. These results indicate the insensitivity

of  $\log D$  to  $C_{ai}$  so long as  $C_{ai}$  is sufficiently low as in the present study.

## 5. Conclusion

In conclusion, the present method is rather simple and rapid ( $< 10$  min / determination) with satisfactory precision. The method has an advantage of requiring no information on the initial and final concentrations of analyte. The information needed is the flow ratios ( $R_f$ ) and the absorbance of analyte in either of the phases, so long as the absorbance is proportional to the analyte concentration. The present method is useful to estimate the  $K_D$  of compounds having moderate  $K_D$  values.

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